

**Task 1.3.3: REFLECT AND APPLY****Solutions**

1. Create a function rule that would make your students work to find a good viewing window.  
Record the good viewing window.

*Answers will vary.*

2. For  $f(x) = 200 - 10x^2 - x^3$ ,

- a. find a viewing window that gives a complete graph of  $f$ .

*It is important when graphing a function that enough of the graph is shown so that any viewer of the graph can determine the rest of the graph as a continuation of what actually appears. This notion of a complete graph can be accomplished with the following viewing window:*

$$-10 \leq x \leq 10, \quad -100 \leq y \leq 300$$

- b. find a viewing window that makes it appear that  $f$  is a line.

*Answers vary, but one possibility is  $-5 \leq x \leq -3, -100 \leq y \leq 200$*

- c. find a viewing window that makes it appear that  $f$  is a quadratic opening up.

*Answers vary, but one possibility is  $-20 \leq x \leq 20, -100 \leq y \leq 200$*

- d. find a viewing window that makes it appear that  $f$  is a quadratic opening down.

*Answers vary, but one possibility is  $-10 \leq x \leq -3, -100 \leq y \leq 100$*

3. Find a viewing window that contains the points:  $(-9, 12)$ ,  $(2, -8)$ ,  $(3, 20)$ .

*Answers vary, but one possibility is  $-10 \leq x \leq 4, -10 \leq y \leq 21$*

**Math notes**

This task has within it very important notions about scale and domain and range restrictions. The parts to Exercise 2 underscore the need to develop intuition about what a function, say a cubic function, should look like, so that issues of scale would not lead us to falsely conclude (the regression button on your calculator is fooled by this also) that a function is, say quadratic, when it is not.

**Teaching notes**

This task is most appropriately used as a homework assignment or as an assessment.

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3. Find a viewing window that contains the points:  $(-9, 12)$ ,  $(2, -8)$ ,  $(3, 20)$ .